Acousto-optic-assisted diffuse optical tomography

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We introduce and experimentally demonstrate acousto-optic-assisted diffuse optical tomography (DOT) using a holography-based acousto-optic setup. The method is based on probing a scattering medium with a localized acoustical modulation of the phase of the scattered light. The optical properties of the scattering medium are recovered with ultrasound-limited resolution by applying DOT reconstruction methods on a set of the measured intensities of light, modulated at different locations throughout the medium. © 2011 Optical Society of America


Imaging modalities, capable of probing deep into biomedical tissue, are of increasing importance. Optical methods, with virtues such as relatively low cost, the ability to detect particular compounds on the basis of their specific optical spectra, and the use of harmless light (at moderate intensities), are hampered by the scattering of light by human tissue. Consequently, localization of specific structures using light only, e.g., to visualize blood vessels deeper than a few millimeters under the skin, is difficult. Owing to the reduced scattering of ultrasound (US) by tissue, the combination of US with light can circumvent this problem. In photoacoustics, a US pulse is generated by a laser pulse. The origin of this US pulse, located at a volume with relatively high optical absorption, can be well localized, whereas the quantification of the local light absorption coefficients is difficult [1]. In acousto-optics [2,3], the colocalization (in space and time) of US pulses and light induces a frequency shift of the light with the US frequency. Detection of this modulated light allows thus exclusive measurement of the light that traveled through this tissue volume. In a previous experiment, based on calibration procedures and using a model system, we have indeed shown that local (optical) absorption coefficients can be obtained, albeit under relatively strict conditions on size and number of optical inhomogeneities [4,5]. In this communication, we show that acousto-optic-assisted diffuse optical tomography (DOT) enables us to obtain locally resolved absorption coefficient maps of light-scattering objects without calibrating and with much better resolution than that obtained in DOT.

The point of departure is the well-known diffusion approximation to the radiative transfer equation [6] that is also widely used in DOT [Eq. (1a)]. However, because we now have two sets (“tagged” and “untagged”) of measured light fluxes, we can define a second equation [Eq. (1b)], describing specifically the spatial distribution of the US-modulated light flux for cw-mode illumination:

\[
\mathbf{\nabla} \cdot \mathbf{D}(\mathbf{r})\mathbf{\nabla} \phi(\mathbf{r}) - \mu_a(\mathbf{r})\phi(\mathbf{r}) = -S(\mathbf{r}), \quad (1a)
\]

\[
\mathbf{\nabla} \cdot \mathbf{D}(\mathbf{r})\mathbf{\nabla} \phi_m(\mathbf{r}) - \mu_a(\mathbf{r})\phi_m(\mathbf{r}) = -\eta(\mathbf{r})\phi(\mathbf{r}), \quad (1b)
\]

where \(\phi(\mathbf{r})\) is the photon density distribution created by the incoming light source \(S(\mathbf{r})\), \(\phi_m(\mathbf{r})\) is the modulated photon density, \(D(\mathbf{r})\) describes the light-scattering properties of the medium (for the definition, see e.g., [6]), and \(\mu_a(\mathbf{r})\) is the absorption coefficient. \(\eta(\mathbf{r}, t)\) is the US tagging efficiency, which, for simplicity, is assumed to be 1 in the volume occupied by the US focal zone and to be 0 elsewhere. Because of the small frequency shift, the optical properties of the medium are assumed to be identical for modulated and nonmodulated light.

With standard boundary conditions [7], the system can be solved for \(\phi(\mathbf{r})\) using a finite-element method, resulting in the spatial distribution of both US-modulated and nonmodulated light fluxes for a given spatial distribution of scattering and absorption coefficients [8,9]. We are interested in the inverse problem, i.e., the problem in reconstructing a spatially resolved \(\mu_a(\mathbf{r})\) map of the system under investigation on the basis of experimentally available data. In conventional DOT, a set of “measured” light flux values \(F^M\) are generated upon rotating the object of interest and minimizing the error function \(\chi = \sqrt{\{F^M - \{F^C(\mu_a)\}\}^2}\), where the superscripts \(M\) and \(C\) denote the measured and calculated light fluxes, respectively [10,11]. In the following, we apply this approach to US-modulated photons by using Eq. (1b), and we demonstrate that this leads to a much better spatial resolution of absorbing objects in light-scattering material. Although we consider in this Letter only variations in the absorption coefficient, extension of our approach to variations in the scattering coefficient, albeit with more computational effort, is possible.

In minimizing the error function, the Jacobian \(J\), describing the sensitivity of the measured light fluxes to local variations in the absorption coefficient, plays a decisive role. To demonstrate this, a numerical simulation was performed on a circular scattering medium for a given location of a light source, detector, and US transducer. The results are depicted in Fig. 1, which illustrates a crucial advantage of US-assisted DOT over conventional DOT.
The left panel depicts J for the case of a nonmodulated light flux [calculated using Eq. (1a)]; the right panel shows J for the case of a US-modulated light flux [Eqs. (1a) and (1b)]. We see that in the US tagging zone, which can be deep in the scattering medium, J is almost 2 orders of magnitude larger than in the corresponding area of the DOT case. Moreover, the positions of these increased sensitivity regions can be easily adjusted by simply moving around the US tagging zone. In this way, more experimental data are generated and the ratio of known and unknown parameters is increased accordingly. Hence, combined measurements on these various US-irradiated positions are expected to help not only increase the spatial resolution, but also increase the robustness to noise in the measured data. An improvement of the spatial resolution is confirmed by a reconstructed μa map in Fig. 2, where a finite-element-based numerical simulation of both an AO-assisted DOT and a DOT experiment is shown.

Encouraged by the results depicted in Fig. 2, we have conducted experiments on a light-scattering sample with embedded absorbing inclusions. Our existing setup [4] was extended to an acousto-optic phase-shifting holography setup [12] by adding a reference beam arm. A computer-controllable rotational stage made this setup a tomography system (see Fig. 3).

![Fig. 1. (Color online) Example of the sensitivity functions (Jacobians, log scale) used in the reconstruction procedure. AC, DC denote the modulated and nonmodulated photon density, respectively. The reduced scattering coefficient of the medium (μs') is 1.95 mm⁻¹, and the disk diameter is 20 mm.](image1)

![Fig. 2. (Color online) Comparison of recovered absorption images (color scale, in mm⁻¹) using the Levenberg–Marquardt reconstruction algorithm [(10)] for a numerical simulation of (a) AO-assisted DOT, (b) DOT. The number of iterations is 25; light sources/detectors, 16; US-probed positions for AODOT, 5 per angle scan. Preset sizes of the absorbers are 1.5 and 1 mm. Preset μa are 0.04 and 0.08 mm⁻¹, respectively. The μs' of the surrounding medium is 1.95 mm⁻¹. Large black circles around the image center show the original locations of the absorbers.] (image2)

![Fig. 3. AODOT setup: FG, two-channel function generator (Tektronix AFG3102); D, delay line; P, MOSFET pulser to drive transducer; UST, 5 MHz US transducer (Panametrics V309); L, cw Ti:sapphire laser (600 mW at λ = 750 nm), M1–M3, AO modulators (Neos 23080-2); A1, aperture to block nondeflected light; A2, aperture (H × W = 10 mm × 20 mm); B, IL-based phantom; CCD, camera Basler A102f (12 bits, 1392 × 1040); BS, beam splitter; MR, mirrors; RS, rotational stage; SS, scanning stage. In the center of the phantom, the cross section of an absorber-containing tube is depicted. The US propagation is along the Z direction.](image3)
The phantom was illuminated along the $X$ axis, and the laser beam, the phantom, and the camera axis were positioned approximately in line. To obtain an image with sufficient detail, it sufficed to perform a US $x$–$z$ scan as follows: the US transducer was moved along the $X$ axis over 11 positions in $1.5$ mm steps. At each of these steps, a $z$ scan at three positions was done. When the sequence was finished, the sample was rotated by $10^\circ$ around the $Z$ axis and the $x$–$z$ scan was repeated. The measurement procedure was repeated in this manner to cover $360^\circ$. A full phantom scan takes $\sim 1$ h.

To be able to use the obtained modulated intensity as input for the reconstruction algorithm, we performed a “blank phantom” calibration. In this procedure, the outputs for the case of a homogeneous, nonabsorbing scattering phantom (both from the experiment and the reconstruction algorithm) were equalized, and the derived normalization coefficient was used in further experiments for the experimental data conversion. These measured and converted modulated intensities provided a set of $F^M$ values, used as input for the error-function minimization procedure. Results of the 3D reconstruction from experimental data for the AO-assisted DOT case are shown in Figs. 4(b) and 4(c). We see that indeed the location and dimensions of the absorbers as well as the absorption coefficients of the inclusions are recovered accurately (the slight overshoot for the case of the absorbers with a high $\mu_a$ can be explained by a violation of the condition $\mu_s \gg \mu_a$).

Whereas the use of a 2D model was not able to provide quantitative results (data not shown), the 3D model could also account for the finite dimensions of the US focal zone as well as for the ability of light to propagate above or underneath the absorbers. The obtained spatial resolution of $\sim 1$ mm is limited by the $5$ MHz $1\mu$s pulse, as used here. Selecting a higher US frequency will lead to submillimeter resolution.

Based on our results, we expect that AO-assisted DOT can become a powerful technique for noninvasive quantitative investigation of local optical properties of living tissue.

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References


Fig. 4. (Color online) (a) Top view of the image of the phantom ($20$ mm in diameter), cut at $Z \sim 4$ mm in the $XY$ plane. Absorbing objects (inserts) are $\sim 1.5$ mm in diameter. (b) Surface plot for the slice along the $XY$ plane at height of $4.4$ mm. Color scale depicts $\mu_s$, in mm$^{-1}$. (c) 3D reconstructed map of the iso-surface. The shadows were added afterward, solely for illustration purposes.

Fig. 4(a). The phantom was illuminated along the $X$ axis, and the laser beam, the phantom, and the camera axis were positioned approximately in line. To obtain an image with sufficient detail, it sufficed to perform a US $x$–$z$ scan as follows: the US transducer was moved along the $X$ axis over 11 positions in $1.5$ mm steps. At each of these steps, a $z$ scan at three positions was done. When the sequence was finished, the sample was rotated by $10^\circ$ around the $Z$ axis and the $x$–$z$ scan was repeated. The measurement procedure was repeated in this manner to cover $360^\circ$. A full phantom scan takes $\sim 1$ h.