

# Combined Scheduling of Pre-haulage and Long-haul Freight Transportation

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#### . Introduction

We study the combined scheduling of pre-haulage and long-haul transportation of freight in an intermodal/synchromodal network. The pre-haulage of freights is performed by trucks that also execute other drayage operations. The long-haul transportation of freights is performed by high-capacity modes that depart from different

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terminals. Example trade-off:

### 2. Problem Description

We consider a stochastic optimization problem over a finite time horizon  $t \in \mathcal{T}$  where:

- ▶ Random freights  $\mathcal{F}_t$  with different characteristics arrive.
- ► Trucks performing drayage operations are routed and terminals for pre-haulage freights are assigned in a drayage schedule  $x_t^{\rm D}$  with costs  $z_t^{\rm D}(x_t^{\rm D})$ .
- ► Long-haul freights at each terminal are either consolidated

Consider a Logistics Service Provider (LSP) choosing a  $\bullet$ terminal to bring a freight for the start of the long-A trade-off occurs haul. when terminal which has the best consolidation for the long-haul (lowest longhaul costs) is not the closest terminal to the origin of the freight (not the lowest prehaulage costs).



**Figure 1:** Problem inspired by Combi Terminal Twente (CTT), a Dutch LSP. Source figure: www.ctt-twente.nl

in a high-capacity mode or postponed for future consolidation in a long-haul schedule  $x_t^{\rm L}$  with costs  $z_t^{\rm L}(x_t^{\rm L})$ .



#### 3. Mathematical Model

- ► Drayage operations are modeled as a full-truckload pickupand-delivery problem with time-windows (FTPDPTW).  $\triangleright$  There is an assignment cost  $C_t^{\rm L}$  that depends on long-haul freights at each terminal and the assignment decision of freights picked-up.
- ► Long-haul transportation is modeled as a Markov Decision Process (MDP).
- $\triangleright$  Arrival probabilities  $\mathcal{P}^{L}$  of long-haul freight at the terminals (i.e., origins) of the high-capacity modes) depend on drayage decisions.

The goal is to minimize the total expected costs in (1), where  $x_{t\,\pi}^{\rm D}$  is a drayage schedule dependent on a long-haul policy  $\pi \in \Pi, f_0^{\mathrm{L}}$  represents the initial long-haul freights at terminals,  $\mathcal{P}^{D}$  describes the stochastic arrival process of freights for drayage (i.e.,  $\mathcal{P}^{\mathrm{D}} \to \mathcal{F}_t$ ), and  $\Gamma$  is a function that defines the long-haul probabilities  $\mathcal{P}_{\pi}^{\mathrm{L}}$  from the drayage decisions.

 $\min_{\pi \in \Pi} \mathbb{E} \left| \left| \sum_{-} \left( z_t^{\mathrm{D}} \left( x_{t,\pi}^{\mathrm{D}} \right) + z_t^{\mathrm{L}} \left( x_{t,\pi}^{\mathrm{L}} \right) \right) \right| f_0^{\mathrm{L}}, \mathcal{P}^{\mathrm{D}}, \Gamma \right|$ 

(1)

#### 4. Solution Approach

We use a *Math-Heuristic* (MH) for the FTPDPTW and *Approximate Dynamic Programming* (ADP) for the MDP:

 $\blacktriangleright$  The *MH* algorithm uses various cuts based on the assignment cost  $C_t^{\rm L}$  resulting from the Value Function Approximation (VFA) of ADP.

There are two challenges in our approach:

- 1. The overall probability distributions  $\mathcal{P}^{D}$  must be mapped to the long-haul probabilities  $\mathcal{P}^{\mathrm{L}}_{\pi}$  based on drayage scheduling observations.
- 2. The assessment of when the VFA is good enough involves the analysis of the total costs and the stability of drayage and long-haul scheduling decisions.

 $\blacktriangleright$  The *ADP* algorithm learns the VFA based on the observed distributions  $\mathcal{P}_{\pi}^{L}$  from a simulation of the problem using the integrated MH.



**Figure 3:** Proposed solution approach to the combined scheduling problem

# 5. Preliminary Results

In numerical experiments, we calibrated our combined scheduling approach and compared it against a not-combined benchmark using various instances.

Instance legend: Location

unbalanced (U).

## 6. Conclusions

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► We proposed the integration of a MH for drayage scheduling and an ADP for long-haul scheduling through the inclusion of long-haul assignment costs in drayage decisions

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**Table 1:** Percentage difference with the benchmark in normal drayage-cost setup R-P-U R-P-B R-E-U R-E-B C-P-U C-P-B C-E-U C-E-B Instance Long-haulCosts -63% -65% -14% -63% -14% -13% -10% -65% DrayageCosts 22%12%21%33%18%32%16%5%-55% -55% -56% -55% Long-haulUtilization -82% -81% -37% -35% -81% -82% Pre-haulageClosest -21% -27%

and an improved VFA in the long-haul decisions.

► Preliminary results show that our approach performs up to 38% better than a separated scheduling benchmark in terms of total costs.

► Future research on the integration mechanisms of the MH and ADP, and their calibration, is necessary to achieve the most of our approach.

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